

3.3 a. quarter b. semi-annual c. month d. week e. n = infinite

$$3.6 \quad i = \left(1 + \frac{r}{m}\right)^m - 1$$

- a. $m = 1; r/m = r = 4\%$
- b. $m = 2; r/m = r/2; r = 8\%$
- c. $m = 4; r/m = r/4; r = 16\%$

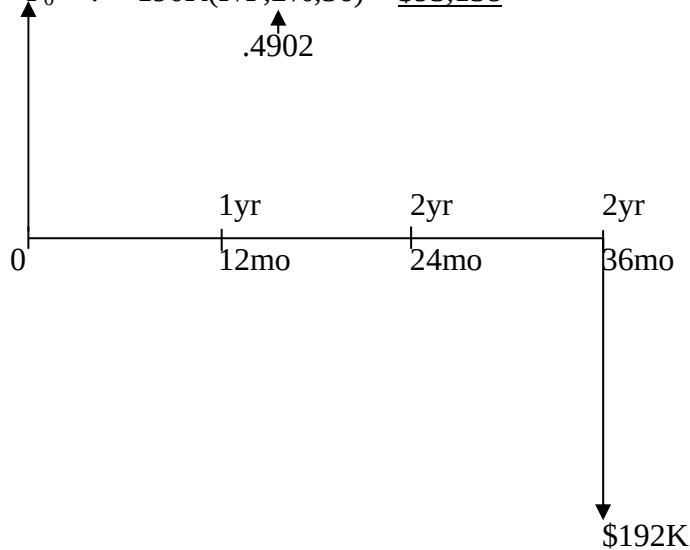
$$3.8 \quad i = \left(1 + \frac{r}{m}\right)^m - 1; \quad r = .12 \quad m = 4; \quad i = \left(1 + \frac{.12}{4}\right)^4 - 1 = .1255 \text{ or } \underline{12.55\%}$$

$$3.10 \quad i = \left(1 + \frac{r}{m}\right)^m - 1; \quad i = .12; \quad m = 4; \quad r = ?$$

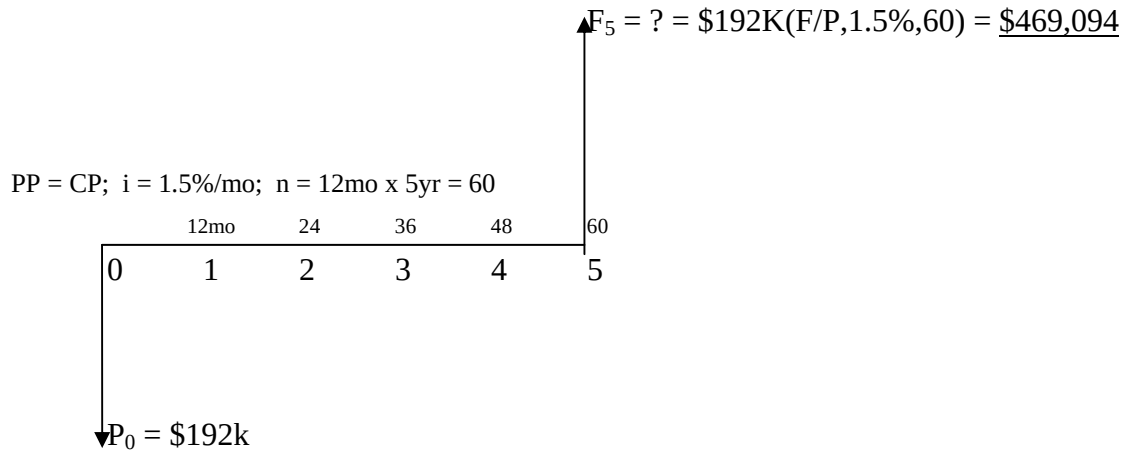
$$.12 = \left(1 + \frac{r}{4}\right)^4 - 1; \quad \left(1 + \frac{r}{4}\right)^4 = \sqrt[4]{1.12} = 1.0287; \quad r = (1.0287 - 1)4 = .11495 \text{ or } \underline{11.495\%}$$

3.17 PP = CP; PP = month; CP = month; $i = r = 2\%/mo$; $n = 3yrs \times 12mo = 36$

$$P_0 = ? = 190K(P/F, 2\%, 36) = \underline{\$93,138}$$



3.20



3.27

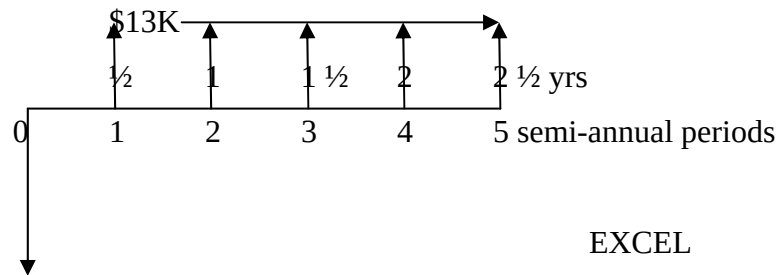
PP > CP

PP = 5; CP = 12; m = 6

Semi-annual > month

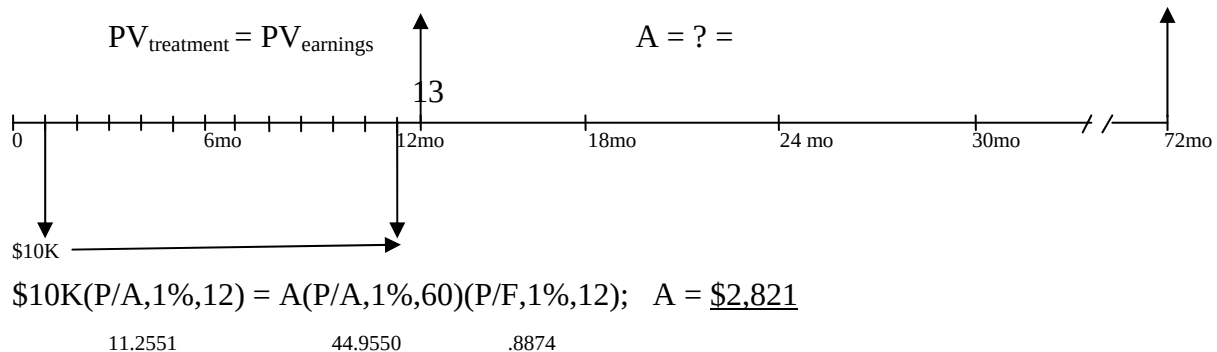
$i = 1\%/mo$ or $6\%/semi\text{-}annual$

$$i_{eff} = (1 + \frac{.06}{6})^6 - 1 = .06152 \text{ or } 6.152\%$$

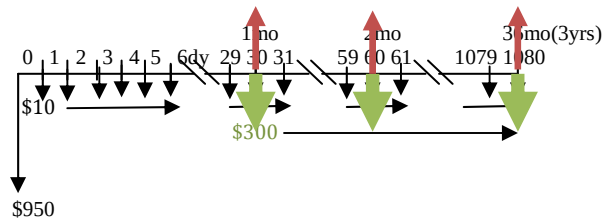


$$\text{or} = 13K[(1 + .06152)^6 - 1]/.06152(1 + .06152)^6 = \underline{\$54,535}$$

3.30 PP = month CP = month; PP = CP; $i = 12\%/yr$ or $1\%/mo$

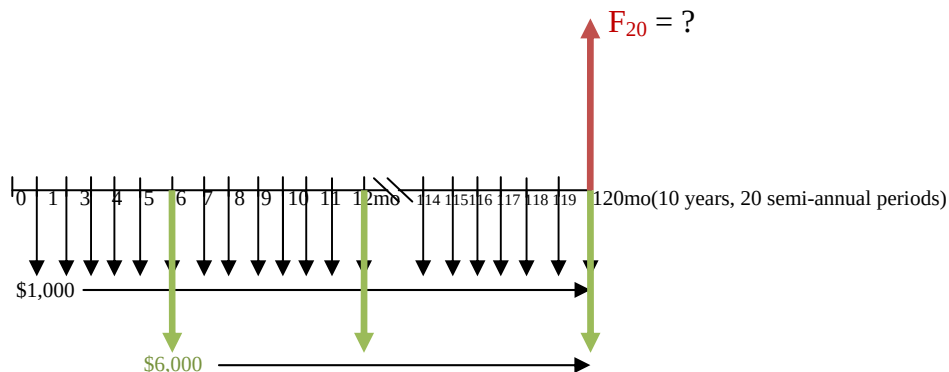


3.50 PP = daily or 360/yr CP = monthly; PP < CP; since cash flows are negative move all daily pmts to end of month (becomes $-\$300/\text{mo}$). Common practice is to assume 30 days/month and 360 days/year. $i = 1\%$ (12% CP monthly); $n = 36$ months.



$$A = P(A/P, 1\%, 36) = [\$950 + 300(P/A, 1\%, 36)](A/P, 1\%, 36) = \underline{\$332/\text{mo}}$$

3.52 PP = month CP = semi-annual; PP < CP Since cash flows are negative move all monthly pmts to end of semi-annual period (becomes $-\$6000/6 \text{ mos}$). $i = 5\%$ (10% CP semi-annually); $n = 20$ semi-annual periods



$$F_{20} = \$6,000(F/A, 5, 20) = \underline{\$198,396}$$